close all clear format compact

s = tf('s')

<u> ୧</u>୧୧୧୧୧୧

% unstable open loop system

g0 = 1g = g0/(s-1) % unstable system, pole at s=+1

figure step(g)

% the following is improper feedback design

h = 4/3
gf = g/(1+g\*h)
gfm = minreal(gf) % for pole zero cancellation

figure step(gfm)

stepinfo(gfm)

\$

% perturbed system

```
g0 = 1.1 % perturb the DC gain g = g0/(s-1)
```

% step(g) % % h = 4/3

gf = g/(1+g\*h)
gfm = minreal(gf)
figure
step(gfm)

inf = stepinfo(gfm)

error\_pct = (3-inf.Peak)/3 \*100 % large error

```
% Now look at a stable system
% (the following is also improper feedback design)
```

% stable system, pole at s=-1

```
figure
step(g)
h = -2/3 % ==> positive feedback ==> not good
gf = g/(1+g*h)
% gfm = minreal(gf) % for pole zero cancellation
gfm zpk = minreal(zpk(gf))
% properties(zpk)
pole0 = gfm zpk.P{1}
figure
step(gfm_zpk)
inf = stepinfo(gfm_zpk)
riseTime0 = inf.RiseTime
% perturbed system
q0 = 1.1
g = g0/(s+1)
h = -2/3
gf = g/(1+g*h)
gfm = minreal(gf)
figure
step(gfm)
inf = stepinfo(gfm)
error pct = (3-inf.Peak)/3 *100 % large error, this highlights the problem
% the following is proper feedback design approach
Kp = 27 % gives a closed loop DC gain of 2.7 (= 3 - 10% x 3)
gc = Kp % minimum gain requirement
g0 = 1
g = g0/(s+1)
% figure
% step(g)
```

h = 1/3

g = g0/(s+1)

gfp = g\*gc/(1+g\*gc\*h)

```
3 of 4
```

```
% gfpm = minreal(gfp)
gfpm_zpk = minreal(zpk(gfp))
% properties(zpk)
pole1 = gfpm_zpk.P{1}
figure
step(gfpm_zpk)
% stepinfo(gfp)
inf = stepinfo(gfpm_zpk)
error_pct = (3-inf.Peak)/3 *100
riseTime1 = inf.RiseTime
응응응응
% perturbed system
Кр = 27
gc = Kp
g0 = 1.1 % low frequency gain is perturbed
g = g0/(s+1)
% step(g)
h = 1/3
gfp = g*gc/(1+g*gc*h)
gfpm = minreal(gfp)
figure
step(gfpm)
% stepinfo(gfp)
inf = stepinfo(gfpm)
error pct = (3-inf.Peak)/3 *100
<u> ୧</u>୧୧୧
% high loop gain
Kp = 1000 % this value greatly increases the loop gain
gc = Kp
g0 = 1 % ******
g = g0/(s+1)
figure
step(g)
```

h = 1/3

```
gfp = g*gc/(1+g*gc*h)
% gfpm = minreal(gfp)
gfpm_zpk = minreal(zpk(gfp))
% properties(zpk)
pole2 = gfpm_zpk.P{1}
```

## figure step(gfpm\_zpk)

## % stepinfo(gfp)

```
inf = stepinfo(gfpm_zpk)
```

error\_pct = (3-inf.Peak)/3 \*100
riseTime2 = inf.RiseTime

## 

## % perturbed system

```
Kp = 1000 % *****
gc = Kp
```

```
g0 = 1.1 % ******
g = g0/(s+1)
```

```
figure
step(g)
```

h = 1/3

```
gfp = g*gc/(1+g*gc*h)
gfpm = minreal(gfp)
```

```
figure
step(gfpm)
```

```
% stepinfo(gfp)
inf = stepinfo(gfpm)
```

 $error_pct = (3-inf.Peak)/3 *100$